# COMPACT MICROSTRIP DUAL-MODE DUAL-BAND BAND-PASS FILTERS USING STUBS LOADED COU-PLED LINE

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Abstract—This paper presents two novel dual-mode dual-band bandpass filters (BPFs) by using stubs loaded coupled line. The analytical equations of their transmission poles and transmission zeros are given by the classical even-/odd-mode method. Design rules for two dual-band BPFs are also given, which show the easily tuned passband frequency locations and in-band performance. As examples, two dualmode dual-band BPFs, dual-band filter A with central frequencies (CFs) at  $3.5/6.8\,\text{GHz}$  and  $-3\,\text{dB}$  fractional bandwidth (FBW) of 14%/10%, while dual-band filter B with CFs at 2.4/6.8 GHz and -3 dB FBW of 43%/16% are designed, fabricated and measured. Good agreement can be observed between the simulations and measurements. These two filters exhibit simple design procedures, simple physical topology, low insertion losses, good return losses, high isolation and compact sizes.

# 1. INTRODUCTION

As a key component in modern dual-service communication system, dual-band bandpass filter (BPF) with compact size, low in-band insertion loss and high isolation is in great demand, so as to handle dual-service in a single radio-frequency (RF) module.

To meet the above requirements, various dual-band BPFs have been reported. The most popular dual-band BPF design method is to use the fundamental resonance frequency of net-type resonator [1] or stepped-impedance resonator (SIR) [2] forming the first passband while to use their spurious frequencies building up the second passband. Combing two different sizes of resonators together is another effective

Received 22 May 2013, Accepted 22 June 2013, Scheduled 27 June 2013

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way to design dual-band BPF [3]. The resonators with longer electrical length are used to design the lower passband, while the resonators with shorter electrical length are used to design the upper passband. To achieve compact size, both meander technology and the fractal geometry are utilized in filter design [3]. The merit of above two methods is its easily tuned central frequencies (CFs) of two passbands. The multi-mode resonator is also often used to develop the compact dual-band BPF [4]. Since the resonance modes of multi-mode resonator sometimes cannot be controlled separately, this type of dual-band filter may not be able to get the desired CFs of two passbands. There have been some another methods to exploit dual-band BPFs [5,6]. In [5], a hybrid transmission line and coupled line unit cell with dual-band performance is reported. In [6], two dual-mode dual-band BPFs are proposed by using a frequency selecting coupling structure with coupled lines at its input/output ports. So far, some advanced fabrication techniques have been used in dual-band filter development [7-10]. The techniques of integrated passive device (IPD) [7], multilayer lowtemperature co-fired ceramic (LTCC) [8,9], and multilayer organic substrate [10] are employed. Compared with the standard printedcircuit-board (PCB) technique, the fabrication cost of these four filters are relatively high. In addition, their electrical performances and circuit sizes are also not good enough, i.e., large insertion loss [8, 10] and large circuit size [9, 10].

All the above dual-band BPFs reported in [1-10] have a narrow bandwidth in both two passbands or one of its passbands, which cannot meet the modern dual high data-rate communication requirement. Recently, several dual-wideband BPFs have been reported [11–19]. In [11], the dual-wideband BPFs using frequency mapping and SIRs are proposed, with the drawback of complex design procedures and large circuit sizes. In [12–14], dual-band BPFs are designed by using SIRs. However, these three dual-wideband BPFs suffer from many disadvantages, i.e., poor passband selectivity [12,13], large circuit size [13] and complex physical topology [14]. Opposite hookshaped resonator [15] and comb-loaded resonator [16] are proposed to develop dual-wideband BPFs. These two dual-wideband BPFs achieve compact sizes and high passband selectivity in both passbands, but also suffer from poor band-to-band isolation [15] or large insertion loss [16]. The dual-wideband BPFs by using coupled-line in [17] and transversalinteraction concept in [18] exhibit good in-band performance and wide stopband, but also suffer from large circuit sizes. In [19], two dualmode dual-band BPFs are reported by using novel quadruple-mode resonator. These two filters have the merits of sharp skirts, high isolation, low in-band insertion loss and compact size, but the etched

ground plane is used, which increases the installation complexity. Thus, it is still significant for RF designers to exploit compact dualwideband BPF with high performance.

This paper presents two novel dual-mode dual-band BPF structures, i.e., dual-band filter A and dual-band filter B. Dual-band filter A have two narrow passbands, and dual-band filter B exhibits two wide passbands. Design rules for two dual-band BPFs are also given, which show their simple design procedure. As examples, two dual-mode dual-band BPFs, dual-band filter A with CFs at 3.5/6.8 GHz and  $-3 \, \text{dB}$  fractional bandwidth (FBW) of 14%/10%, while dual-band filter B with CFs at 2.4/6.8 GHz and  $-3 \, \text{dB}$  FBW of 43%/16% are designed, fabricated and measured. Two filters are designed on the substrate ARlon DiClad 880 ( $h = 0.508 \, \text{mm}$ ,  $\varepsilon_{re} = 2.2$  and  $\tan \delta = 0.0009$ ). The designed two filters exhibit simple physical topology, low insertion losses, good return losses, high isolation and compact sizes. Detailed design procedures as well as simulated and measured results are discussed in the following sections.

# 2. CHARACTERISTICS OF PROPOSED DUAL-BAND BPF STRUCTURES

Figures 1(a) and (b) give the transmission line model of proposed dual-band filter A and B, respectively. Dual-band filter A consists of two quarter-wavelength impedance  $Z_{a1}$  sections ( $\theta_{a1} = \pi/2$  at the designing frequency  $f_{a0}$ ), one quarter-wavelength coupled line section ( $\theta_{ac} = \pi/2$  at  $f_{a0}$ ) and two shorted half-wavelength impedance  $Z_{a2}$ sections ( $\theta_{a2} = \pi$  at  $f_{a0}$ ) loaded on the two ends of coupled line section. Dual-band filter B consists of two quarter-wavelength impedance  $Z_{b1}$ sections ( $\theta_{b1} = \pi/2$  at the designing frequency  $f_{b0}$ ), one quarterwavelength coupled line ( $\theta_{bc} = \pi/2$  at  $f_{b0}$ ) and two open quarterwavelength impedance  $Z_{b2}$  sections ( $\theta_{b2} = \pi/2$  at  $f_{a0}$ ) loaded on the two ends of coupled line section. Since the difference between two



**Figure 1.** (a) Proposed dual-mode dual-band filter A. (b) Proposed dual-mode dual-band filter B.



**Figure 2.** (a) General model of dual-mode dual-band filters A and B. (b) Even-mode equivalent circuit. (c) Odd-mode equivalent circuit.

dual-band BPF structures is the stubs loaded on the coupled line section, a general model as shown in Figure 2(a) is given to represent two structures shown in Figure 1, where  $\theta = \pi/2$  at  $f_{a0}$  or  $f_{b0}$ ,  $Z_{aL} = jZ_{a2} \tan(2\theta)$ ,  $Z_{bL} = -jZ_{b2} \cot \theta$ , the subscripts *a* and *b* denote the dual-band filters A and B, respectively. Due to the symmetrical configuration, Figures 2(b) and (c) give the even-/odd-mode equivalent circuits, where  $Z_{(a,b)ce} = Z_{(a,b)c}[(1 + k_{(a,b)c})/(1 - k_{(a,b)c})]^{1/2}$  and  $Z_{(a,b)co} = Z_{(a,b)c}[(1 - k_{(a,b)c})/(1 + k_{(a,b)c})]^{1/2}$ . The subscripts *e* and *o* denote even- and odd- modes, respectively. Subsequently, the one port even-/odd-mode input impedances can be derived as follows:

$$Z_{(a,b)in(e,o)} = Z_{(a,b)1} \frac{Z_{(a,b)c(e,o)}(Z_{(a,b)L} + jZ_{(a,b)c(e,o)} \tan \theta)}{\frac{+jZ_{(a,b)1} \tan \theta(Z_{(a,b)c(e,o)} + jZ_{(a,b)L} \tan \theta)}{Z_{(a,b)1}(Z_{(a,b)c(e,o)} + jZ_{(a,b)L} \tan \theta)}$$
(1)  
$$+jZ_{(a,b)c(e,o)} \tan \theta(Z_{(a,b)L} + jZ_{(a,b)c(e,o)} \tan \theta)$$

For the symmetrical and reciprocal network, its frequency response can be calculated by the following Equation [20].

$$S_{11(a,b)} = S_{22(a,b)} = \frac{Z_{(a,b)ine} Z_{(a,b)ino} - Z_0^2}{(Z_{(a,b)ine} + Z_0)(Z_{(a,b)ino} + Z_0)}$$
(2a)

$$S_{21(a,b)} = S_{12(a,b)} = \frac{Z_0(Z_{(a,b)ine} - Z_{(a,b)ino})}{(Z_{(a,b)ine} + Z_0)(Z_{(a,b)ino} + Z_0)}$$
(2b)

The even-/odd-mode resonances occur when  $Z_{(a,b)ine} = \infty$  and  $Z_{(a,b)ino} = \infty$ , respectively. The transmission zeros (TZs) of the filter fulfill the condition  $|S_{21(a,b)}| = 0$ . According to these two conditions, the transmission poles (TPs) and TZs of proposed dual-band filter A and B can be derived and discussed in the following texts.

#### 2.1. TPs and TZs of Dual-band Filter A

From Equation (1), the even-/odd-mode TPs of dual-band filter A are determined by the following Equation:

$$A_{(e,o)} \tan^4 \left(\frac{\pi f_{ap(e,o)}}{2f_{a0}}\right) + B_{(e,o)} \tan^2 \left(\frac{\pi f_{ap(e,o)}}{2f_{a0}}\right) + C_{(e,o)} = 0 \qquad (3)$$

where  $f_{ap(e,o)}$  denotes the even-/odd-mode TPs, the coefficients  $A_{(e,o)} = Z^2_{ac(e,o)}$ ,  $B_{(e,o)} = -(Z_{a1}Z_{ac(e,o)} + 2Z_{a1}Z_{a2} + 2Z_{a2}Z_{ac(e,o)} + Z^2_{ac(e,o)})$ , and  $C_{(e,o)} = Z_{a1}Z_{ac(e,o)}$ . It is clearly seen that  $A_{(e,o)} > 0$ ,  $B_{(e,o)} < 0$  and  $C_{(e,o)} > 0$  are always built. For the practical designing parameters,  $B^2_{(e,o)} - 4A_{(e,o)}C_{(e,o)} > 0$ . Thus, the dual-band filter A has four even-mode TPs and four odd-mode TPs within [0,  $2f_{a0}$ ], which can be given as follows:

$$f_{ap(e,o)1} = \frac{2f_{a0}}{\pi} \arctan \sqrt{\frac{-B_{(e,o)} + \sqrt{B_{(e,o)}^2 - 4A_{(e,o)}C_{(e,o)}}}{2A_{(e,o)}}}$$
(4a)

$$f_{ap(e,o)2} = \frac{2f_{a0}}{\pi} \left[ \pi - \arctan \sqrt{\frac{-B_{(e,o)} + \sqrt{B_{(e,o)}^2 - 4A_{(e,o)}C_{(e,o)}}}{2A_{(e,o)}}} \right] (4b)$$

$$f_{ap(e,o)3} = \frac{2f_{a0}}{\pi} \arctan \sqrt{\frac{-B_{(e,o)} - \sqrt{B_{(e,o)}^2 - 4A_{(e,o)}C_{(e,o)}}}{2A_{(e,o)}}} \tag{4c}$$

$$f_{ap(e,o)4} = \frac{2f_{a0}}{\pi} \left[ \pi - \arctan \sqrt{\frac{-B_{(e,o)} - \sqrt{B_{(e,o)}^2 - 4A_{(e,o)}C_{(e,o)}}}{2A_{(e,o)}}} \right] (4d)$$

When  $\theta = 0$ ,  $\pi/2$  or  $\pi$ ,  $Z_{aine} = Z_{aino}$  can be fulfilled. Thus, the proposed dual-band filter A has three fixed TZs at 0,  $f_{a0}$  and  $2f_{a0}$  with the frequency range  $[0, 2f_{a0}]$ . From Equation (1), the TZs of proposed dual-band filter A can be also given by

$$A_z \tan^4 \left(\frac{\pi f_{az}}{2f_{a0}}\right) + B_z \tan^2 \left(\frac{\pi f_{az}}{2f_{a0}}\right) + C_z = 0 \tag{5}$$

where  $f_{az}$  denotes the TZs, the coefficients  $A_z = 2Z_{a2}(Z_{ace} + Z_{aco}) + Z_{ace}Z_{aco}$ ,  $B_z = -[4Z_{a2}^2 + 2Z_{a2}(Z_{ace} + Z_{aco}) + 2Z_{ace}Z_{aco}]$ , and  $C_z = Z_{ace}Z_{aco}$ . It is clearly seen that  $A_z > 0$ ,  $B_z < 0$  and  $C_z > 0$  can be always built. For the practical designing parameters,  $B_z^2 - 4A_zC_z > 0$ .

As a result, the TZs of dual-band filter A from Equation (5) can be given as

$$f_{az1} = \frac{2f_{a0}}{\pi} \arctan \sqrt{\frac{-B_z - \sqrt{B_z^2 - 4A_z C_z}}{2A_z}}$$
 (6a)

$$f_{az2} = \frac{2f_{a0}}{\pi} \left( \pi - \arctan \sqrt{\frac{-B_z - \sqrt{B_z^2 - 4A_z C_z}}{2A_z}} \right)$$
(6b)

$$f_{az3} = \frac{2f_{a0}}{\pi} \arctan \sqrt{\frac{-B_z + \sqrt{B_z^2 - 4A_z C_z}}{2A_z}}$$
(6c)

$$f_{az4} = \frac{2f_{a0}}{\pi} \left( \pi - \arctan \sqrt{\frac{-B_z + \sqrt{B_z^2 - 4A_z C_z}}{2A_z}} \right)$$
 (6d)

Therefore, Equations (4) and (6) allow one to determine all tunable TPs and TZs of dual-band filter A. These TPs and TZs repeat periodically at every frequency range  $(2nf_{a0}, 2(n+1)f_{a0})$ , where n is an integer. Within the frequency range  $[0, 2f_{a0}]$ , these TPs and TZs are symmetrical along  $f_{a0}$ . It can be found that these TPs and TZs have the relationship of  $0 < f_{ape1} < f_{apo1} < f_{a21} < f_{a23} < f_{ape3} < f_{apo3} < f_{a0} < f_{apo4} < f_{ape4} < f_{a24} < f_{a22} < f_{apo2} < f_{ape2} < 2f_{a0}$ . In the practical filter design, it is found interestingly that four TPs  $f_{ape1}, f_{apo1}, f_{ape2}$  and  $f_{apo2}$  would not build up the filter passband or the spurious passband. The fixed TZ at  $f_{a0}$  divides four TPs  $f_{ape3}, f_{apo3}, f_{ape4}$  and  $f_{apo4}$  into two groups, with one even-mode TP and one odd-mode TP in each group. These two dual-mode groups can be utilized to form two passbands. Theoretically, two passbands of dual-band filter A has a symmetrical frequency response along  $f_{a0}$ .

Under  $Z_{a1} = 35 \Omega$  and  $k_{ac} = 0.35$ , Figure 3 gives the variation of  $f_{ac2}/f_{ac1}$  and 3 dB absolute bandwidth  $(BW_a)$  of dual-band filter A versus  $r_{ac} = Z_{ac}/Z_{a1}$  and  $r_{a12} = Z_{a2}/Z_{a1}$ , where  $f_{ac1,2}$  denote the CFs of the first passband and the second passband, respectively. As  $r_{ac}$  increases,  $f_{ac2}/f_{ac1}$  increases while  $BW_a$  becomes small. As  $r_{a12}$ increases,  $f_{ac2}/f_{ac1}$  decreases while  $BW_a$  becomes large slowly. For a dual-band centered at 3.5/6.8 GHz ( $f_{ac2}/f_{ac1} \approx 1.94$ ),  $r_{ac} = 4.5$ and  $r_{a12} = 3.8$  can be pre-selected. Under  $r_{ac} = 4.5$  and  $r_{a12} = 3.8$ , Figure 4 plots the variation of  $|S_{21}|$  and  $|S_{11}|$  versus  $k_{ac}$  and  $Z_{a1}$ . It can be seen in Figure 4(a) that  $k_{ac}$  and  $Z_{a1}$  have minor effect on the CFs of two passbands and  $f_{az1,2,3,4}$ . The  $BW_a$  of two passbands becomes large as  $k_{ac}$  increases, while  $Z_{a1}$  almost has no effect on  $BW_a$  as shown in Figure 4(b). Therefore, in the dual-band filter A design process,  $r_{ac}$  and  $r_{a12}$  are tuned to achieve the desired  $f_{ac2}/f_{ac1}$  firstly,  $k_{ac}$  is



**Figure 3.** Variation of  $f_{ac2}/f_{ac1}$  and  $BW_a/f_{a0}$  versus  $r_{ac}$  and  $r_{a12}$ .



**Figure 4.** Variation of  $|S_{21}|$  and  $|S_{11}|$  versus (a)  $k_{ac}$  ( $Z_{a1} = 35 \Omega$  fixed), and (b)  $Z_{a1}$  ( $k_{ac} = 0.35$  fixed).

then tuned to acquire the desired  $BW_a$ ,  $Z_{a1}$  can be finally optimized to achieve a good return loss.

### 2.2. TPs and TZs of Dual-band Filter B

The even-/odd-mode TPs of dual-band filter B can be derived from Equation (1) as follows:

$$Z_{bc(e,o)}^{2} \tan^{2} \left( \frac{\pi f_{bp(e,o)}}{2f_{b0}} \right) = Z_{b1}(Z_{b2} + Z_{bc(e,o)}) + Z_{b2}Z_{bc(e,o)}$$
(7)

Therefore, the dual-band filter B has two even-mode TPs and two oddmode TPs within the frequency range  $[0, 2f_{b0}]$ , of which the frequency locations are given as follows:

$$f_{bp(e,o)1} = \frac{2f_{b0}}{\pi} \arctan \sqrt{\frac{Z_{b1}(Z_{b2} + Z_{bc(e,o)}) + Z_{b2}Z_{bc(e,o)}}{Z_{bc(e,o)}^2}}$$
(8a)

$$f_{bp(e,o)2} = \frac{2f_{b0}}{\pi} \left[ \pi - \arctan \sqrt{\frac{Z_{b1}(Z_{b2} + Z_{bc(e,o)}) + Z_{b2}Z_{bc(e,o)}}{Z_{bc(e,o)}^2}} \right]$$
(8b)

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Since  $Z_{bine} = Z_{bino}$  can be fulfilled when  $\theta = 0$ ,  $\pi/2$  or  $\pi$ , the dual-band filter B also has three fixed TZs at 0,  $f_{b0}$  and  $2f_{b0}$  with the frequency range  $[0, 2f_{b0}]$ . From Equation (1), the TZs of proposed dual-band filter B are given by

$$[Z_{b2}(Z_{bce} + Z_{bco}) + Z_{bce}Z_{bco}]\tan^4\left(\frac{\pi f_{bz}}{2f_{b0}}\right) = Z_{b2}^2 \tag{9}$$

As a result, the dual-band filter B has two tunable TZs within the frequency range  $[0, 2f_{b0}]$ , of which the frequency locations are given as

$$f_{bz1} = \frac{2f_{b0}}{\pi} \arctan \sqrt{\frac{Z_{b2}^2}{Z_{b2}(Z_{bce} + Z_{bco}) + Z_{bce}Z_{bco}}}$$
(10a)

$$f_{bz2} = \frac{2f_{b0}}{\pi} \left[ \pi - \arctan \sqrt{\frac{Z_{b2}^2}{Z_{b2}(Z_{bce} + Z_{bco}) + Z_{bce}Z_{bco}}} \right]$$
(10b)

Therefore, Equations (8) and (10) allow one to determine all tunable TPs and TZs of dual-band filter B. These TPs and TZs repeat periodically at every frequency range  $(2nf_{b0}, 2(n+1)f_{b0})$ . Within the frequency range  $[0, 2f_{b0}]$ , these TPs and TZs are symmetrical along  $f_{b0}$ . It can be found that that these TPs and TZs have the relationship of  $0 < f_{az1} < f_{ape1} < f_{apo1} < f_{b0} < f_{apo2} < f_{ape2} < f_{az2} < 2f_{b0}$ . The fixed TZ at  $f_{b0}$  divides four TPs  $f_{bp(e,o)(1,2)}$  into two grounds, with one even-mode TP and one odd-mode TP in each group. These two dual-mode groups can be utilized to form two passbands. Theoretically, two passbands of dual-band filter B also has a symmetrical frequency response along  $f_{b0}$ .

Under  $Z_{b1} = 35 \Omega$  and  $k_{bc} = 0.45$ , Figure 5 gives the variation of  $f_{bc2}/f_{bc1}$  and 3 dB absolute bandwidth  $(BW_b)$  of dual-band filter B versus  $r_{bc} = Z_{bc}/Z_{b1}$  and  $r_{b12} = Z_{b2}/Z_{b1}$ , where  $f_{bc1,2}$  denote the CFs of the first passband and the second passband, respectively. As  $r_{bc}$  increases,  $f_{bc2}/f_{bc1}$  increases while  $BW_b$  becomes small. As  $r_{b12}$ increases, both  $f_{bc2}/f_{bc1}$  and  $BW_b$  decrease. For a dual-band centered at 2.4/6.8 GHz ( $f_{bc2}/f_{bc1} \approx 2.83$ ),  $r_{bc} = 4.0$  and  $r_{b12} = 3.2$  are preselected. Under  $r_{bc} = 4.0$  and  $r_{b12} = 3.2$ , Figure 6 plots the variation of  $|S_{21}|$  and  $|S_{11}|$  versus  $k_{bc}$  and  $Z_{b1}$ . It can be seen in Figure 6(a) that  $k_{bc}$  and  $Z_{b1}$  have minor effect on the CFs of two passbands and  $f_{bz1,2}$ . The  $BW_b$  of two passbands becomes large as  $k_{bc}$  increases, while  $Z_{b1}$ almost has no effect on  $BW_b$  as shown in Figure 6(b). Therefore, in the dual-band filter B design process,  $r_{bc}$  and  $r_{b12}$  are tuned to achieve the desired  $f_{bc2}/f_{bc1}$  firstly,  $k_{bc}$  is then tuned to acquire the desired  $BW_b$ ,  $Z_{b1}$  can be finally optimized to achieve a good return loss.



Figure 5. Variation of  $|S_{21}|$  and  $|S_{11}|$  versus (a)  $k_{ac}$  ( $Z_{a1} = 35 \Omega$  fixed), and (b)  $Z_{a1}$  ( $k_{ac} = 0.35$  fixed).



Figure 6. Variation of  $|S_{21}|$  and  $|S_{11}|$  versus (a)  $k_{bc}$  ( $Z_{b1} = 35 \Omega$  fixed), and (b)  $Z_{b1}$  ( $k_{bc} = 0.45$  fixed).

### 3. DUAL-BAND FILERS DESIGN AS WELL AS SIMULATED AND MEASURED RESULTS

#### 3.1. Dual-band Filter A

According to the above discussion, the designing parameters for dualband filter A at  $f_{a0} = 5.15 \text{ GHz}$  are optimized as  $Z_{1a} = 34 \Omega$ ,  $Z_{ca} = 148 \Omega$ ,  $k_{ca} = 0.34$  and  $Z_{2a} = 126 \Omega$ , which corresponds to fractional bandwidth (FBWs) of 16%/8.2% and CFs at 3.5/6.8 for the WiMAX and RFID applications. The layout of fabricated dual-band filter B is given in Figure 7(a). ADS LineCalc tool are used to calculate the initial physical dimensions. The whole structure is optimized by full-wave EM-simulator HFSS, and the optimized physical dimensions are also labeled in Figure 7(a). The filter fabrication is done by using standard PCB etching process (0.08 mm minimum gap or width). The photograph of fabricated dual-band filter B is shown in Figure 7(b). Its overall circuit size is 15.96 mm × 14.5 mm (not including the feeding lines), which corresponds to  $0.26g\lambda_{qa} \times 0.24g\lambda_{qa}$ , where  $\lambda_{qa}$  represents



**Figure 7.** (a) Layout and (b) photograph of fabricated dual-band filter A.

the guided wavelength of  $50\,\Omega$  microstrip line at the measured CF of its first passband on the used substrate.

Figure 8 plots the simulated and measured results of fabricated dual-band filter A. Good agreement can be observed, and some slight discrepancies are due to the fabrication error as well as SMA connectors. In addition, the analysis discussed in the above section is appropriate for microstrip line due to the unequal even-/odd-mode phase velocities, which will also cause the difference between the ideal analysis and the HFSS simulation. The measured CFs and FBWs of two passbands are  $3.6/6.7 \,\text{GHz}$  and 14.4%/10.4%, respectively. The measured insertion losses (ILs) at  $3.5/6.8 \,\text{GHz}$  are  $0.75/0.85 \,\text{dB}$ , and the return losses are better than  $20/26 \,\text{dB}$  around these two frequencies, respectively. The fabricated dual-band filter A has a 20 dB band-to-band isolation from  $4.77 \,\text{GHz}$  to  $5.55 \,\text{GHz}$ ,  $15 \,\text{dB}$  rejection lower stopband from DC to  $3.27 \,\text{GHz}$  and  $10 \,\text{dB}$  rejection upper stopband from  $7.1 \,\text{GHz}$  to  $10.34 \,\text{GHz}$ .



**Figure 8.** Simulated and measured results of the fabricated dual-band filter A.

#### 3.2. Dual-band Filter B

According to the above discussion, the designing parameters for dualband filter B at  $f_{0b} = 4.6$  GHz are optimized as  $Z_{1b} = 36 \Omega$ ,  $Z_{cb} = 146 \Omega$ ,  $k_{cb} = 0.43$  and  $Z_{2b} = 118 \Omega$ , which corresponds to FBWs of 45.5%/16% and CFs at 2.4/6.8 for the WLAN and RFID applications. Figure 9(a) gives the layout of fabricated dual-band filter B. ADS LineCalc tool is used to calculate its initial physical dimensions. Then, the whole structure is optimized in full-wave EM-simulator HFSS and the optimized physical dimensions are also labeled in Figure 9(a). Figure 9(b) shows the photograph of fabricated dual-band filter B. Its overall circuit size is  $10.92 \text{ mm} \times 15.38 \text{ mm}$  (not including the feeding lines), which corresponds to  $0.12g\lambda_{gb} \times 0.17g\lambda_{gb}$ , where  $\lambda_{gb}$  represents the guided wavelength of  $50 \Omega$  microstrip line at the measured CF of its first passband on the used substrate.

The simulated and measured results of fabricated filter B are plotted in Figure 10. Good agreement can be observed, and some



**Figure 9.** (a) Layout and (b) photograph of fabricated dual-band filter B.



Figure 10. Simulated and measured results of the fabricated dualband filter B.

		CFs (GHz)/	IL at CFs	Isolation	Circuit area
		FBW	(dB)	(dB)	$(\lambda_g^2)$
	[1]	1.0/4.6%, 2.0/4.8%	2.65, 2.44	> 40	0.23 × 0.17
	[2]	2.4/6.3%, 5.2/3.4%	3.0, 3.0	> 30	$0.48 \times 0.6$
[6]	Filter A	2.4/5.8%, 5.8/2.1%	1.59, 2.59	> 30	0.32 × 0.31
	Filter B	2.4/6%, 5.8/1.6%	1.6, 2.8	> 25	$0.31 \times 0.32$
[11]	Filter 2	1.28/47.6%, 2.35/48.4%	0.5, 2	> 40	3.33 × 1.08
	[13]	2.3/54%, 5.25/20%	0.8, 0.8	> 25	$0.3 \times 0.3$
[15]		2.37/19.5%, 5.8/15.1%	0.55, 1.31	> 13	0.07~ imes~0.15
[16]	2nd filter	2.45/32%, 5.45/13%	1.1, 2.5	> 30	0.46~ imes~0.06
	[18]	1.63/28.8%,2.42/22.7%	0.86, 0.97	> 15	0.69 × 0.31
[19]	Filter A	1.96/57.1%, 5.58/20.8%	0.1, 0.8	> 30	0.4 $ imes$ $0.05$
	Filter B	1.65/35.1%, 5.25/7.2%	0.41, 1.1	> 20	$0.33 \times 0.03$
This work	Dual-band filter A	3.6/14.4%, 6.7/10.4%	0.75, 0.85	> 20	0.26 × 0.24
	Dual-band filter B	2.48/43.2%, 6.63/16.5%	0.33, 0.74	> 20	0.12 × 0.17

**Table 1.** Performance comparison with some reported dual-bandBPFs.

slight discrepancies are due to the fabrication error as well as SMA connectors. Two passbands centered at 2.48/6.63 with FBWs of 43.2%/16.5% are measured, respectively. The measured ILs at 2.4/6.8 GHz are 0.33/0.74 dB, and the return losses are better than 18/30 dB around these two frequencies, respectively. The fabricated dual-band filter B has a 20 dB band-to-band isolation from 4.13 GHz to 5.0 GHz, 18 dB rejection lower stopband from DC to 1.67 GHz and 10 dB rejection upper stopband from 7.3 GHz to 10.6 GHz.

Table 1 gives a performance comparison between this works and some reported dual-band BPFs, which shows that two proposed dualband BPFs have the merits of high in-band performance and compact size. Moreover, the proposed dual-band BPFs have the simple design procedures and physical topologies.

### 4. CONCLUSION

This paper presents two novel dual-mode dual-band BPFs, i.e., dual-band filter A centered at  $3.5/6.8\,\mathrm{GHz}$  for the application of

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WiMax/RFID and dual-band filter B centered at 2.4/6.8 GHz for the application of WLAN/RFID. Dual-band filter B also has the dual-wideband property. It has been found theoretically and experimentally that the fabricated dual-band filters have the merits of low insertion losses, good return losses, high isolation and compact sizes. The fabricated filters also exhibit simple design procedures and physical topologies. Due to these merits, they are attractively used in modern communication system.

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